## Name:

$\qquad$ Class: $\qquad$ Date: $\qquad$
1 TrailGear decides to market a line of backpacks. The cost, $C$, of manufacturing backpacks is a function of the number, $x$, of backpacks produced, given by the equation

$$
C(x)=4000+15 x
$$

where $C(x)$ is measured in dollars. Find the cost of producing 500 backpacks.

2 Does the table define the second variable as a function of the first variable?
If it is a function, find the equation, if no write no.

| $\boldsymbol{p}$ | -5 | -4 | -3 | -2 | -1 |
| :---: | :--- | :--- | :--- | :--- | :--- |
| $\boldsymbol{d}$ | -5 | -4 | -3 | -2 | -1 |

3 The coordinates of point $Q$ in the figure are $(20,1726)$. What do the coordinates tell you about the function $f$ ? What was the DJIA at noon on October 20?


4 Consider the graph of the function $g$ shown in the figure.
Find $g(-3), g(0)$, and $g(4)$.


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5 Use the vertical line test to determine whether the graph in the figure represents a function.


6 Simplify the expression.

$$
\frac{8-7 \sqrt[3]{64}}{2}
$$

7 Simplify the expression.

$$
6-8|2-6|
$$

8 Simplify the expression.

$$
5-\sqrt[3]{-64}
$$

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9 Sketch the function by hand, paying attention to the shape of the graph. Find the correct graph of the function.

$$
f(x)=x^{3}
$$

a.

c.

b.

d.


10 The graph of a function is shown. Find the equation of the function.

a. $f(x)=|x|$
b. $f(x)=|x-1|$
c. $f(x)=|x-5|$
d. $f(x)=|x+1|$
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11 Find the equation of the graph.

a. $\begin{aligned} & f(x) \\ & 2 \sqrt{x}\end{aligned}=$
b. $\begin{aligned} & f(x)= \\ & 2 x^{3}\end{aligned}$
c. $\begin{aligned} & f(x)= \\ & 2 x^{2}\end{aligned}=$
d. $\begin{aligned} & f(x)= \\ & 2 \sqrt[3]{x}\end{aligned}$
$f(x)=$
e. $\frac{2}{x}$

12 Determine the domain and range of the function $F$ graphed in the figure below.
Enter your answer in interval and set notations.


13 Find the domain and range of the function.

$$
H(x)=\frac{1}{x^{4}}
$$

Enter your answers in interval notation.
$\qquad$
$\qquad$
$\qquad$
14 Choose the correct graph of the function

$$
f(x)=x^{2}-6
$$

on the domain

$$
0 \leq x \leq 3
$$

and give its range.

A


B


C


D


15 For the function described below, use the values in the table to find the constant of variation, $k$, and fill in the rest of the table with the correct values.
$y$ varies directly with $x$

| $x$ | $y$ |
| :---: | :---: |
| 4 |  |
| 5 | 4 |
|  | 7.2 |
| 13 |  |
|  | 11.2 |

16 Tuition at Woodrow University is $\$ 300$ plus $\$ 30$ per unit. Is the tuition proportional to the number of units you take?

17 The amount of current, $I$, that flows through a circuit varies inversely with the resistance, $R$, on the circuit. An iron with a resistance of 9 ohms draws 5.75 amps of current. What is the resistance of a toaster that draws 11.5 amps of current?
a. 5.1 ohms
b. 4.8 ohms
c. 4.5 ohms
d. 5.5 ohms
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18 In this problem, the function on the graph is an example of either inverse or direct variation.
The faster a car moves, the more difficult it is to stop. The graph shows the distance, $d$, required to stop a car as a function of its velocity, $v$, before the brakes were applied. What distance is needed to stop a car moving at 110 kilometers per hour?

a. 10
b. 12.1
c. 16.9

19 Marlene is driving to a new outlet mall on Highway 17. There is a gas station at Marlene's on - ramp. She buys gas there and resets her odometer to 0 before getting on the highway. The mall is only $m=15$ miles from Marlene's on - ramp, but she mistakenly drives past the mall and continues down the highway. Marlene's distance from the mall is a function of how far she has driven on Highway 17 (see the figure). Determine how far Marlene has driven when she is at least 10 miles from the mall.


20 In the following problem, one quantity varies directly with the square root of the other, that is, $y=k \sqrt{x}$.
The table gives the distance, $d$, in miles that you can see from various heights, $h$, given in feet. How far can you see from an airplane flying at 22500 feet?

| $\boldsymbol{h}$ | 100 | 441 | 961 | 1681 |
| :--- | :---: | :---: | :---: | :---: |
| $\boldsymbol{d}$ | 11.83 | 24.843 | 36.673 | 48.503 |

a. $d=186.85$ miles
b. $d=171.15$ miles
c. $d=177.45$ miles
d. $d=168.85$ miles

## ANSWER KEY

## Ch 5rev

1. $C(500)=11500$
2. 9
3. $\mathrm{k}=0.8,(4,3.2),(9,7.2),($
13,10.4),(14,11.2)
4. $d=p$
5. c
6. no
.
7. 1726
8. $0,4,1$
9. b
10. $b$
11. $b$
12. $c$
.
.
13. yes
14. ${ }^{[-6,5), \text { set }\{ }$
15. $\begin{aligned} & x<=5, x>= \\ & 25\end{aligned}$
16. -10
17. (- inf, 0$) \operatorname{cup}($ 0, inf),(0,inf)
18. -26
19. $\begin{aligned} & \mathrm{C},[- \\ & 6,3]\end{aligned}$
20. c
